(1) Solve over planet $z_{27}$

$$
18 x=9
$$

(2) Solve over planet 2

$$
18 x \equiv 9(\bmod 27)
$$

(1) $\frac{18}{a} x=\frac{9}{6} \quad Z_{27} n$
$\operatorname{gcd}(a, n)=\operatorname{acd}(18,27)=9$
Is $9{ }^{9 \text { in z }}$ Yes
We must have 9 solutions in $Z_{27}$

$$
18 \times \frac{2(\bmod 27)}{x_{1}=2}=9
$$

- To Find other solutions. Set of solutions

$$
\begin{aligned}
& \text { Find other solutions. Set of solutions } \\
& \operatorname{gcd}(18,27)=9 \\
& n=27=9 \times \sqrt{3}
\end{aligned}\left\{\begin{array}{l}
\end{array}\right.
$$

(2) Solution of $18 x \equiv 9(\bmod 27)$ over planet 2 $2+3 k$ where $k$ can be any integer $\in Z$.
(3) Solve over planet $Z_{28}$
(4) Solve over planet 2

$$
16 x=9
$$

$$
16 x \equiv 9(\bmod 28)
$$

$$
16 x=9
$$

Since $16 x=9$ has no solution over

$$
\operatorname{gcd}(16,28)=4
$$

Z_28, we conclude 16x = $9(\bmod$
Is 419 in 2 ? No
$2 \overline{8}$ ) has no solution over planet $Z$
No solutions.

